

Project Euler #159: Digital root sums of factorisations.

This problem is a programming version of [Problem 159](#) from [projecteuler.net](#)

A composite number can be factored many different ways.

For instance, not including multiplication by one, **24** can be factored in **7** distinct ways:

$$24 = 2 \times 2 \times 2 \times 3$$

$$24 = 2 \times 3 \times 4$$

$$24 = 2 \times 2 \times 6$$

$$24 = 4 \times 6$$

$$24 = 3 \times 8$$

$$24 = 2 \times 12$$

$$24 = 24$$

Recall that the digital root of a number, in base **10**, is found by adding together the digits of that number, and repeating that process until a number is arrived at that is less than **10**.

Thus the digital root of **467** is **8**.

We shall call a Digital Root Sum (*DRS*) the sum of the digital roots of the individual factors of our number.

The chart below demonstrates all of the *DRS* values for **24**.

Factorisation	Digital Root Sum
2x2x2x3	9
2x3x4	9
2x2x6	10
4x6	10
3x8	11
2x12	5
24	6

The maximum Digital Root Sum of **24** is **11**.

The function *mdrs*(*n*) gives the maximum Digital Root Sum of *n*. So *mdrs*(**24**) = **11**.

Find $\sum_{i=2}^n mdrs(i)$.

Input Format

First line of each file contains an integer *T* which is the number of testcases.

T lines follow, each containing one integer *n*.

Constraints

- $1 \leq T \leq 10^5$
- $3 \leq n \leq 10^7$

Output Format

Output T lines, one for each testcase.

Sample Input

```
1
10
```

Sample Output

```
51
```

Explanation

$$mdrs(2) = 2$$

$$mdrs(3) = 3$$

$$mdrs(4) = 4$$

$$mdrs(5) = 5$$

$$mdrs(6) = 6$$

$$mdrs(7) = 7$$

$$mdrs(8) = 8$$

$$mdrs(9) = 9$$

$$mdrs(10) = 2 + 5 = 7$$