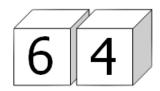
## **HackerRank**

# Project Euler #90: Cube digit pairs

This problem is a programming version of Problem 90 from projecteuler.net

Each of the six faces on a cube has a different digit (0 to 9) written on it; the same is done to a second cube. By placing the two cubes side-by-side in different positions we can form a variety of 2-digit numbers.

For example, the square number **64** could be formed:



In fact, by carefully choosing the digits on both cubes it is possible to display all of the square numbers below one-hundred: 01,04,09,16,25,36,49,64, and 81.

For example, one way this can be achieved is by placing 0, 5, 6, 7, 8, 9 on one cube and 1, 2, 3, 4, 8, 9 on the other cube.

However, for this problem we shall allow the 6 or 9 to be turned upside-down so that an arrangement like 0, 5, 6, 7, 8, 9 and 1, 2, 3, 4, 6, 7 allows for all nine square numbers to be displayed; otherwise it would be impossible to obtain 09.

In determining a distinct arrangement we are interested in the digits on each cube, not the order.

$$1, 2, 3, 4, 5, 6$$
 is equivalent to  $3, 6, 4, 1, 2, 5$   
 $1, 2, 3, 4, 5, 6$  is distinct from  $1, 2, 3, 4, 5, 9$ 

But because we are allowing 6 and 9 to be reversed, the two distinct sets in the last example both represent the extended set 1, 2, 3, 4, 5, 6, 9 for the purpose of forming 2-digit numbers.

How many distinct arrangements of the M cubes allow for all of the first N square numbers  $(1..N^2)$  to be displayed?

### **Input Format**

Each test contains a single line with two numbers -  $oldsymbol{N}$  and  $oldsymbol{M}$ 

$$1 \le M \le 3$$
$$1 \le N < 10^{\frac{M}{2}}$$

## **Output Format**

Output should contain the only number - the answer to the problem.

### **Sample Input**

3 1

## **Sample Output**

55

## **Explanation**

In order to display 3 numbers - 1, 4 and 9 - our only cube should have (1,4,9) or (1,4,6). That gives us  $\binom{7}{3}=35$  variants for (1,4,9),  $\binom{7}{3}=35$  variants for (1,4,6) and  $\binom{6}{2}=15$  variants for (1,4,6,9) as the intersection to be subtracted. Now, 35+35-15=55.