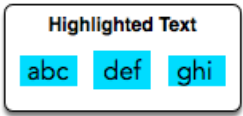


When a contiguous block of text is selected in a PDF viewer, the selection is highlighted with a blue rectangle. In this PDF viewer, each word is highlighted independently. For example:



There is a list of **26** character heights aligned by index to their letters. For example, 'a' is at index **0** and 'z' is at index **25**. There will also be a string. Using the letter heights given, determine the area of the rectangle highlight in  $mm^2$  assuming all letters are **1mm** wide.

**Example**

$h = [1, 3, 1, 3, 1, 4, 1, 3, 2, 5, 5, 5, 5, 5, 1, 1, 5, 5, 1, 5, 2, 5, 5, 5, 5, 5, 5]$   $word = 'torn'$

The heights are  $t = 2, o = 1, r = 1$  and  $n = 1$ . The tallest letter is **2** high and there are **4** letters. The highlighted area will be  $2 * 4 = 8mm^2$  so the answer is **8**.

**Function Description**

Complete the *designerPdfViewer* function in the editor below.

*designerPdfViewer* has the following parameter(s):

- *int*  $h[26]$ : the heights of each letter
- *string* *word*: a string

**Returns**

- *int*: the size of the highlighted area

**Input Format**

The first line contains **26** space-separated integers describing the respective heights of each consecutive lowercase English letter, `ascii[a-z]`.  
The second line contains a single word consisting of lowercase English alphabetic letters.

**Constraints**

- $1 \leq h[?] \leq 7$ , where **?** is an English lowercase letter.
- *word* contains no more than **10** letters.

**Sample Input 0**

```
1 3 1 3 1 4 1 3 2 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5
abc
```

**Sample Output 0**

**Explanation 0**

We are highlighting the word `abc`:

Letter heights are  $a = 1$ ,  $b = 3$  and  $c = 1$ . The tallest letter, `b`, is  $3mm$  high. The selection area for this word is  $3 \cdot 1mm \cdot 3mm = 9mm^2$ .

**Note:** Recall that the width of each character is  $1mm$ .

**Sample Input 1**

```
1 3 1 3 1 4 1 3 2 5 5 5 5 5 5 5 5 5 5 5 5 5 7
zaba
```

**Sample Output 1**

```
28
```

**Explanation 1**

The tallest letter in `zaba` is `z` at  $7mm$ . The selection area for this word is  $4 \times 1mm \times 7mm = 28mm^2$ .